



SMART Initiative - Phase 2

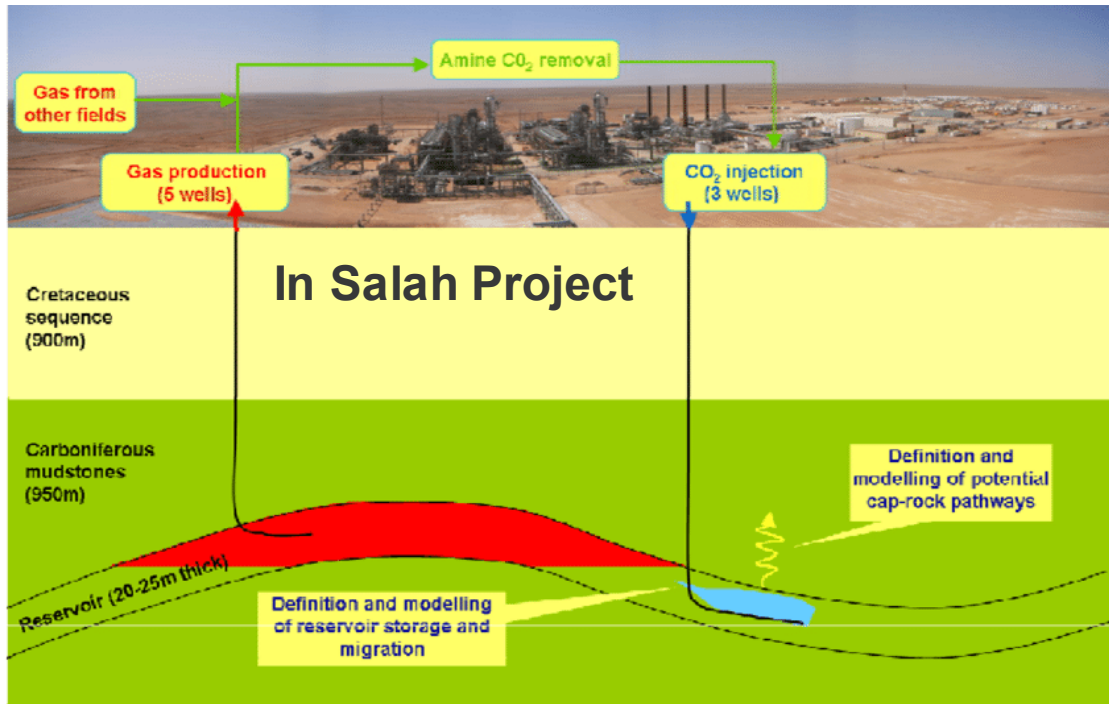
Science-informed Machine Learning to Accelerate Real Time (SMART) Decisions in Subsurface Applications

ML-Based Optimization for CO₂ Injection under Geomechanical Risks

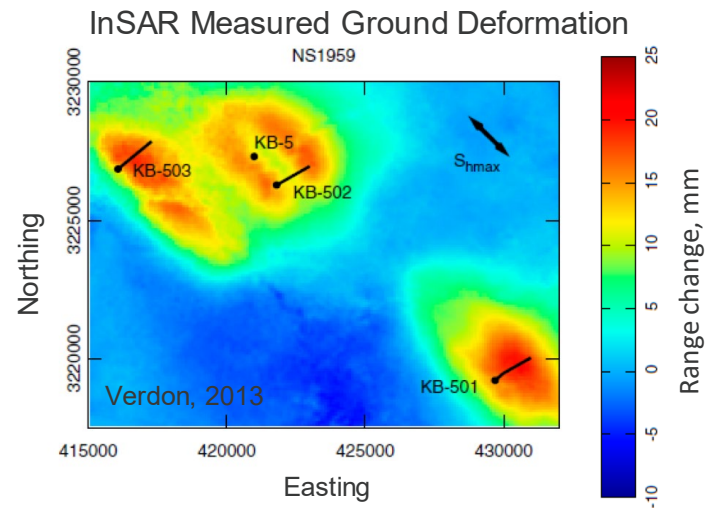
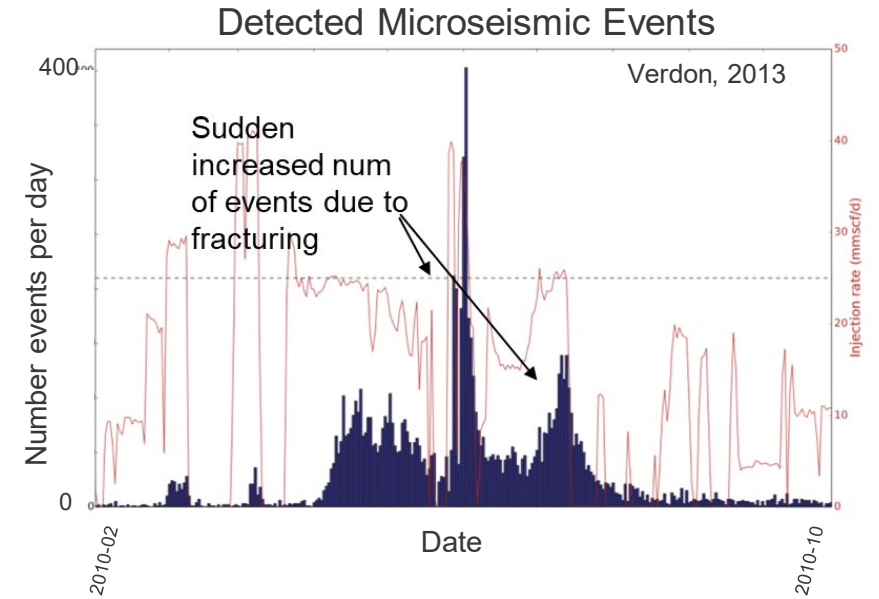
Bailian Chen, Fangning Zheng, Martin Ma

August 6th, 2024

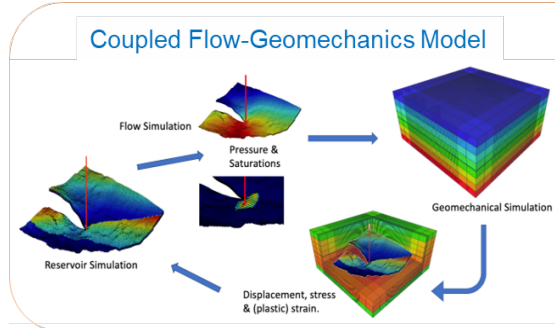
Motivation



- A total of **3.8 mega-ton** of CO₂ were injected
- **9,506** micro-seismic events detected during injection
- Maximum of **25 millimeters** uplift



Motivation



Governing Equations

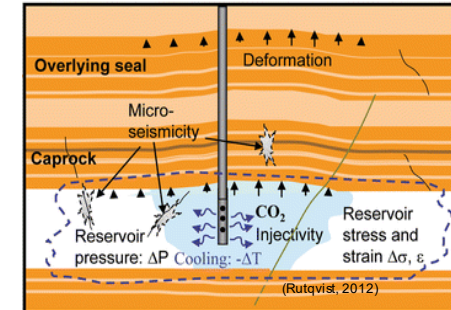
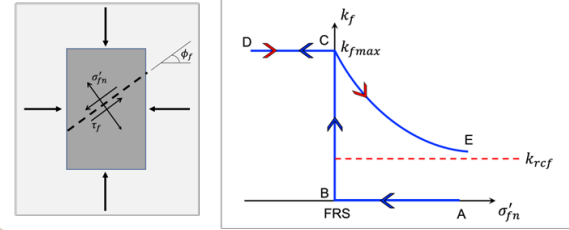
- Fluid Mass Balance:

$$\frac{dm_\beta}{dt} + \nabla \cdot w_\beta = \rho_\beta f_\beta$$

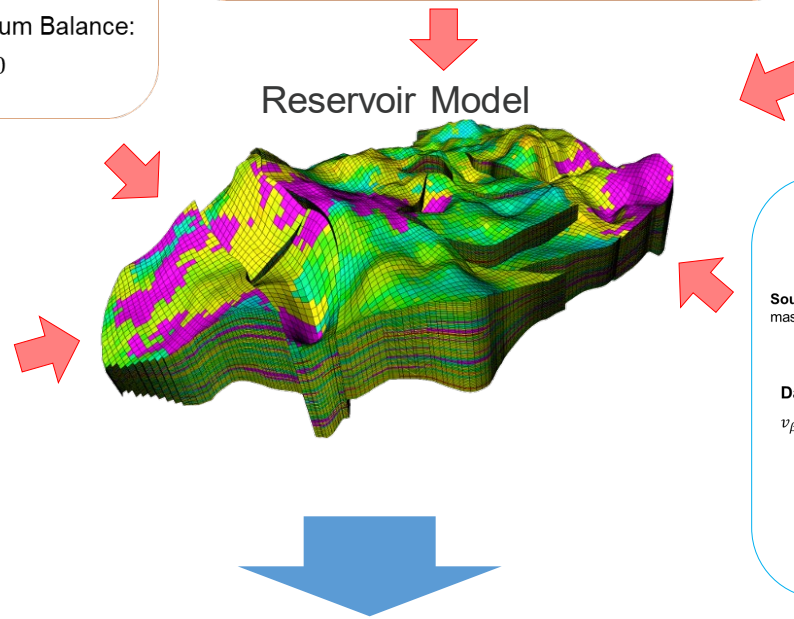
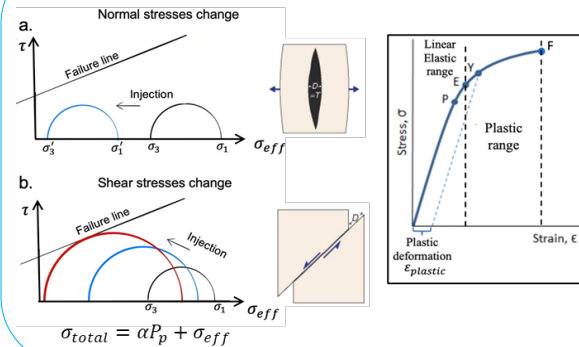
- Linear Momentum Balance:

$$\nabla \cdot \sigma + \rho_b g = 0$$

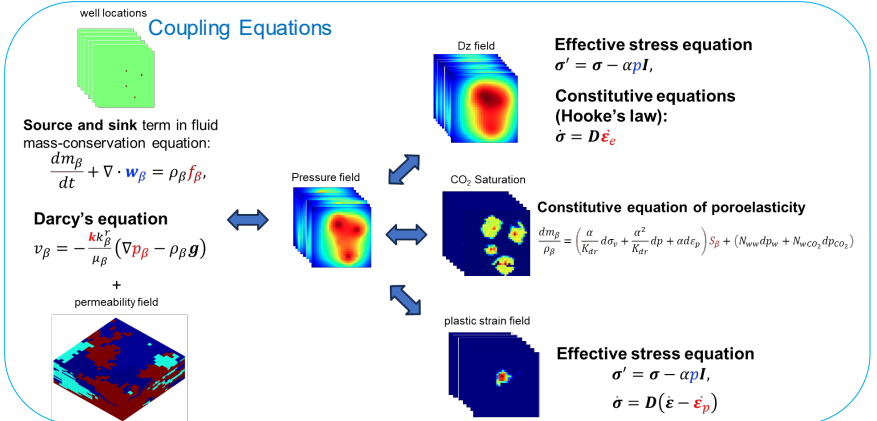
Barton-Bandis Fracturing Model



Mohr-Coulomb's Failure Criterion



Coupling Equations



Computationally Demanding !!!

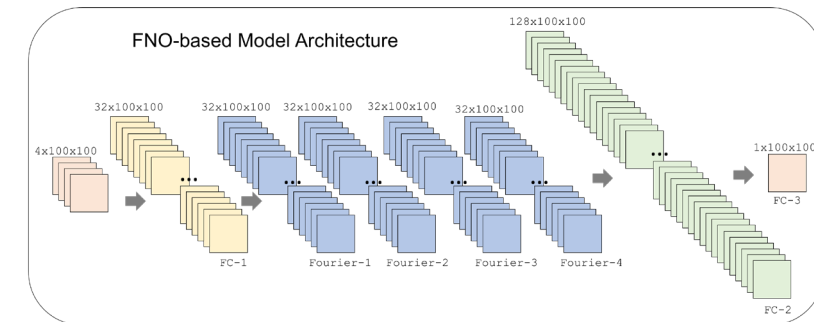
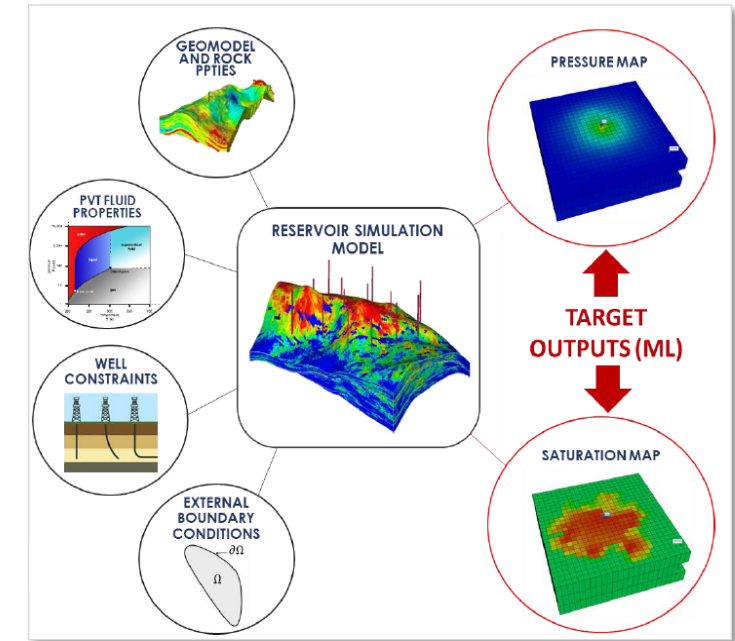
Introduction

Main Objective:

Develop a ML-assisted optimization workflow to optimize CO₂ storage performance under Geomechanical risks.

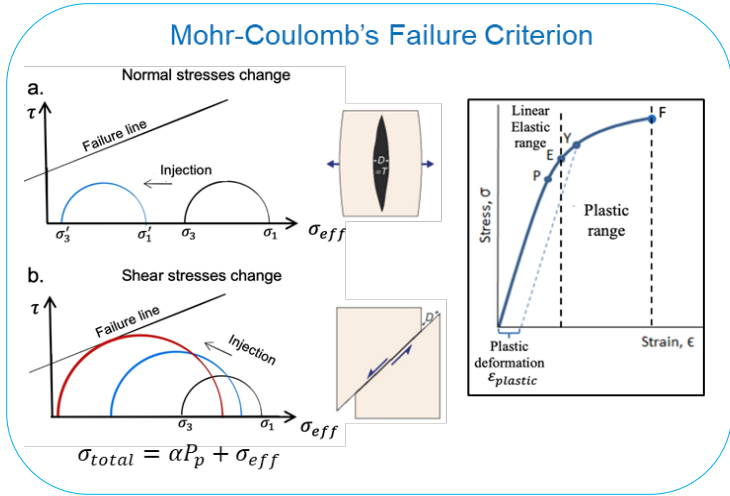
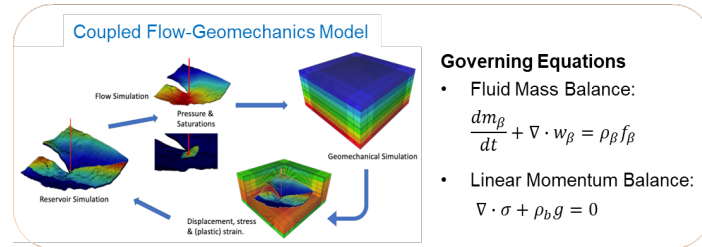
Major Components of Workflow:

1. Construct a physics-based CO₂ storage model and quantify the associated geomechanical risks, including ground displacement and safety factor.
2. Develop a ML-based surrogate model to output the quantified geomechanical risks.
3. Build an optimization workflow to optimization CO₂ storage while minimizing geomechanical risks.

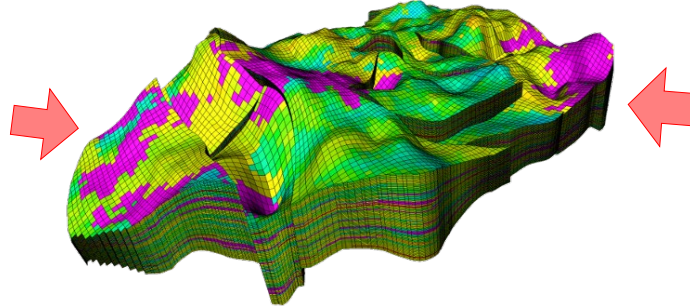


Methodology – Physics-based Model

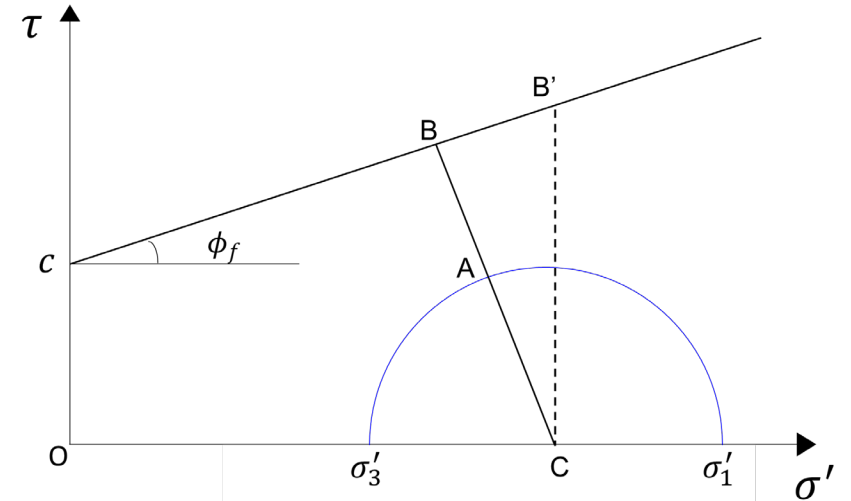
Build a coupled flow-geomechanics simulation model for CO₂ storage



Reservoir Model



Safety Factor (potential to trigger micro-seismicity)



$$SF = 1 - (\min(1, CA/CB))$$

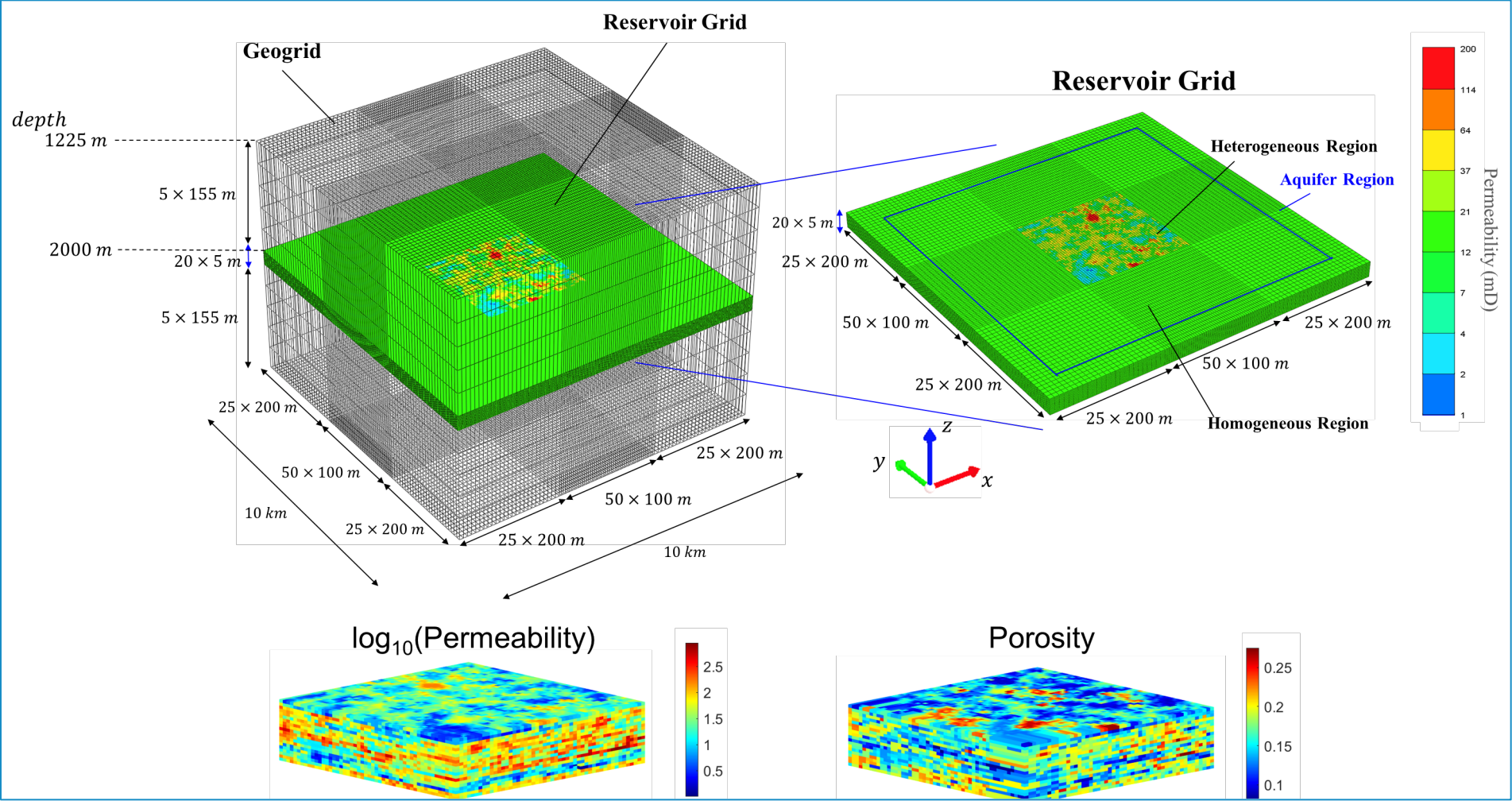
Large SF → safer injection

Small SF → dangerous

SF = 0 → Rock failure

Methodology – Physics-based Model

Build a coupled flow-geomechanics simulation model for CO₂ storage



Methodology – Physics-based Model

Model Settings

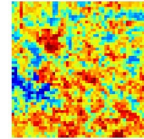
		Base case	Low permeability case
Flow properties	Permeability (mD)	0.69 - 936.90	0.069 – 93.69
	Porosity	0.078 - 0.27	same
	Reservoir depth (m)	2000 - 2050	
	pore pressure gradient (kPa/m)	9.8	
	Temperature (C)	44	
	Kv/kh	0.1	
Geomechanical Properties	Young's Modulus (GPa)	45	
	Poisson's Ratio	0.25	
	Cohesion (kPa)	3000	
	Friction Angle	20	
	Biot's coefficient	0.8	
	$\partial\sigma'_{xx}/\partial z$ (kPa/m)	10	
	$\partial\sigma'_{yy}/\partial z$	12	
$\partial\sigma'_{zz}/\partial z$	13		

Methodology – ML-based Model

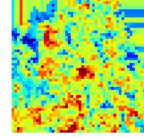
Construct an FNO-based surrogate model using synthetic dataset

Inputs:

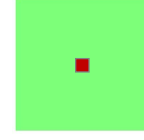
permeability



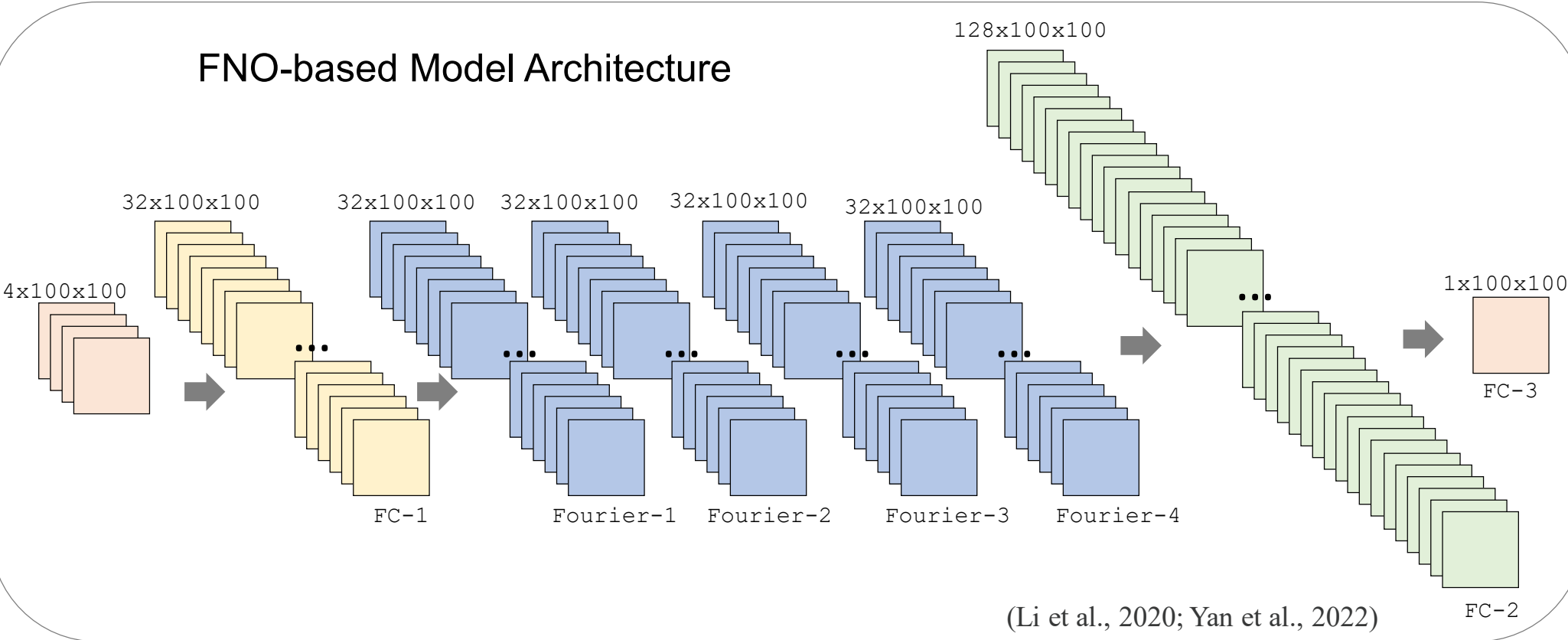
porosity



q_{inj}

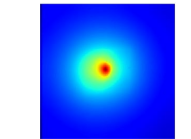


Injection history



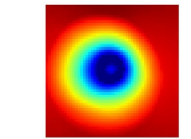
Outputs:

D_z

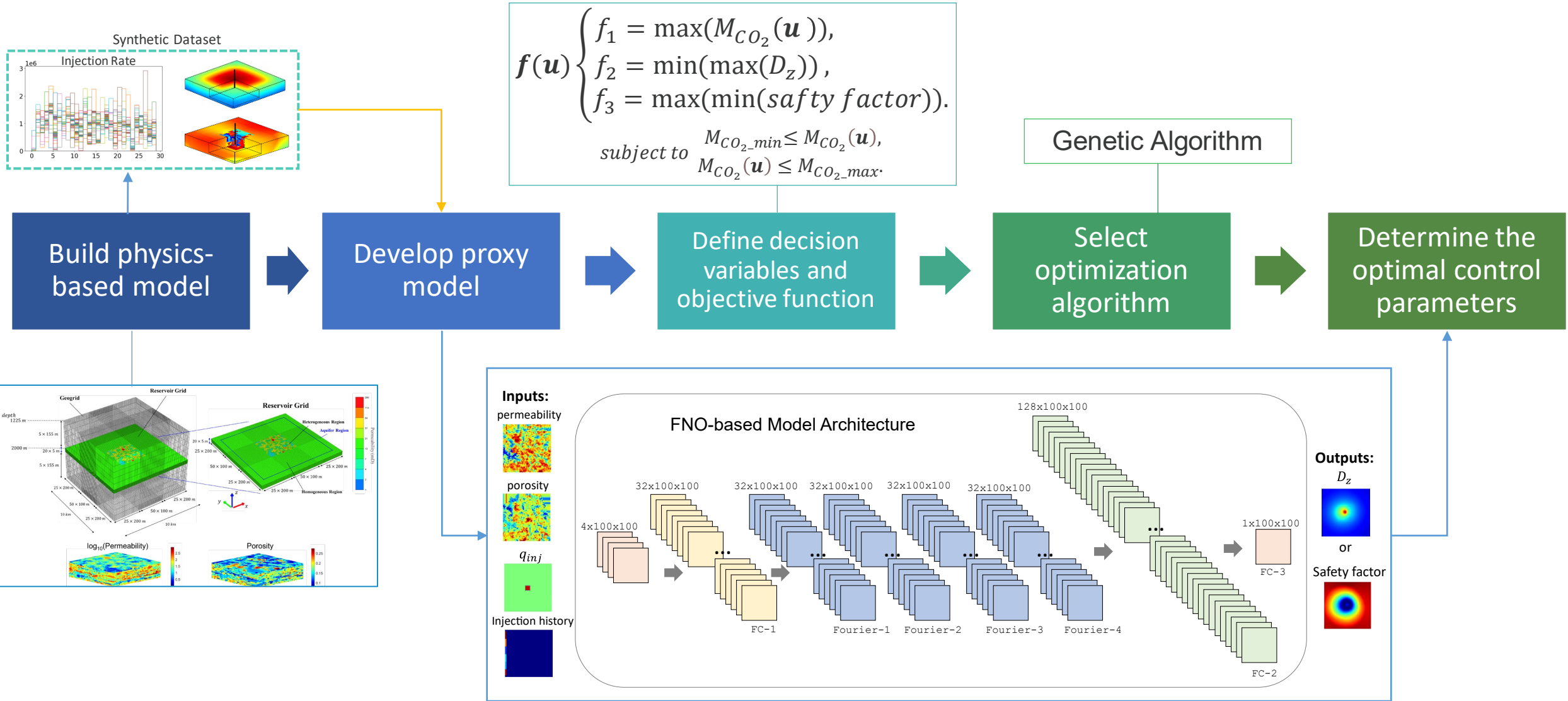


or

Safety factor



Methodology – General Optimization Workflow



Result – Base Case

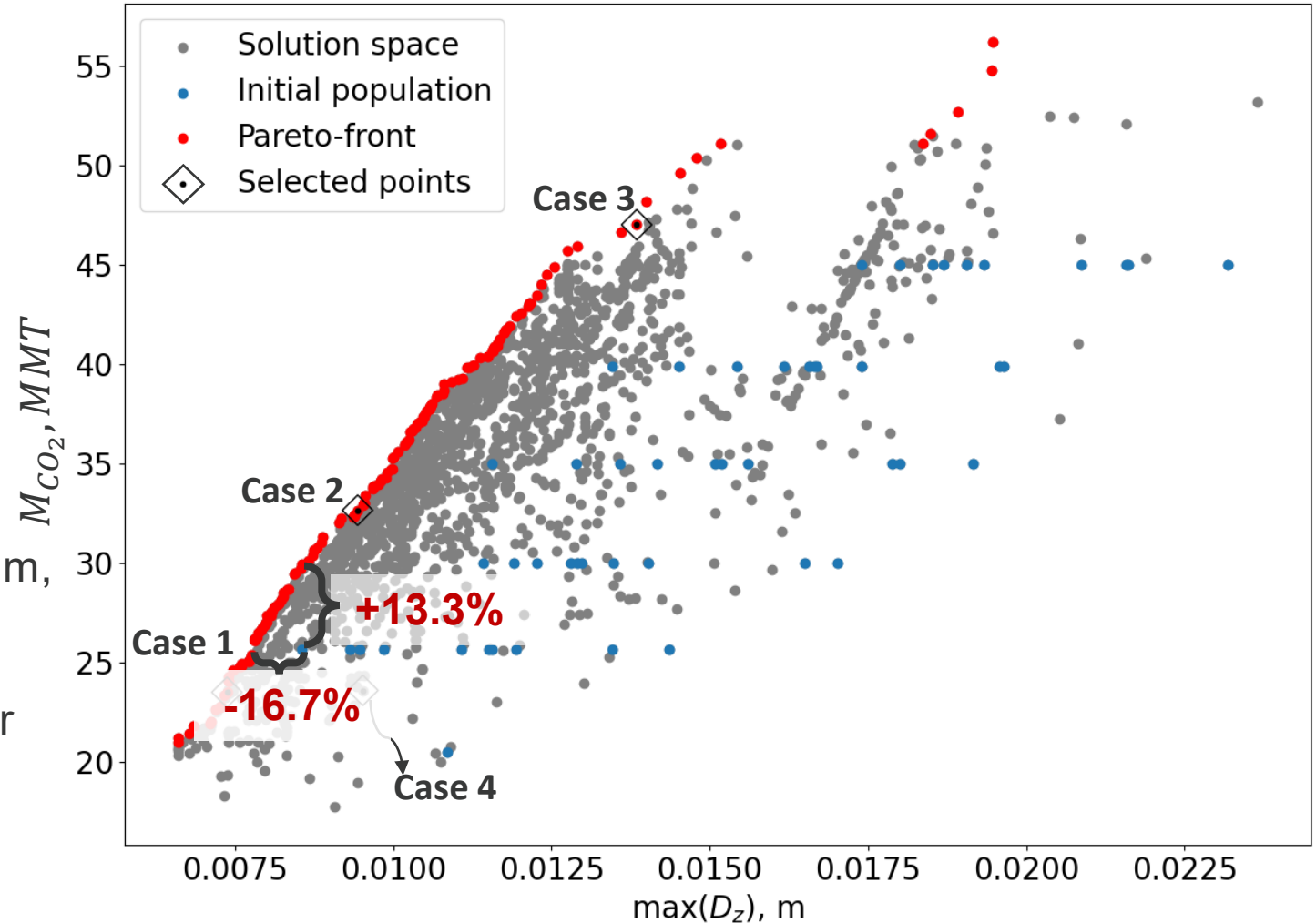
Bi-objective Optimization:

$$\mathbf{u}^* = \operatorname{argmin}_{\mathbf{u} \in \Phi_{\mathbf{u}}} \mathbf{f}(\mathbf{u}) = \begin{cases} f_1(\mathbf{u}) = \max(M_{CO_2}(\mathbf{u})), \\ f_2(\mathbf{u}) = \min(\max(\mathbf{D}_z(\mathbf{u}))). \end{cases}$$

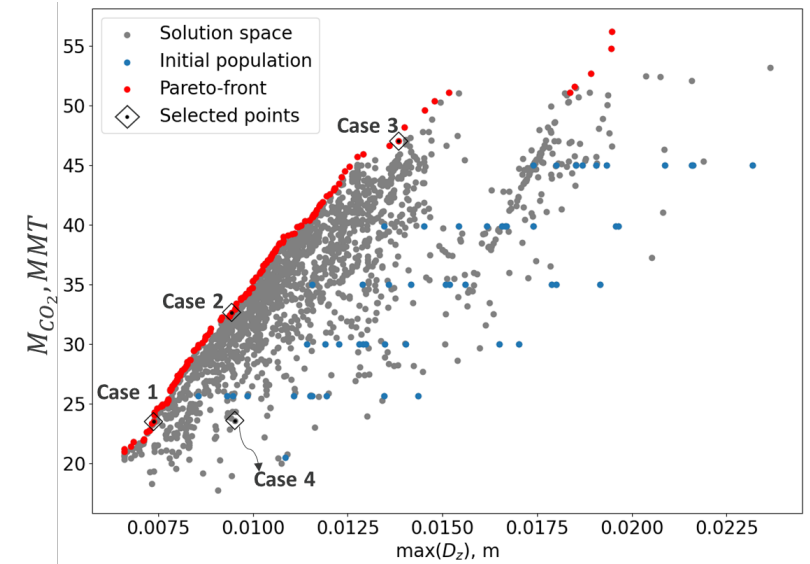
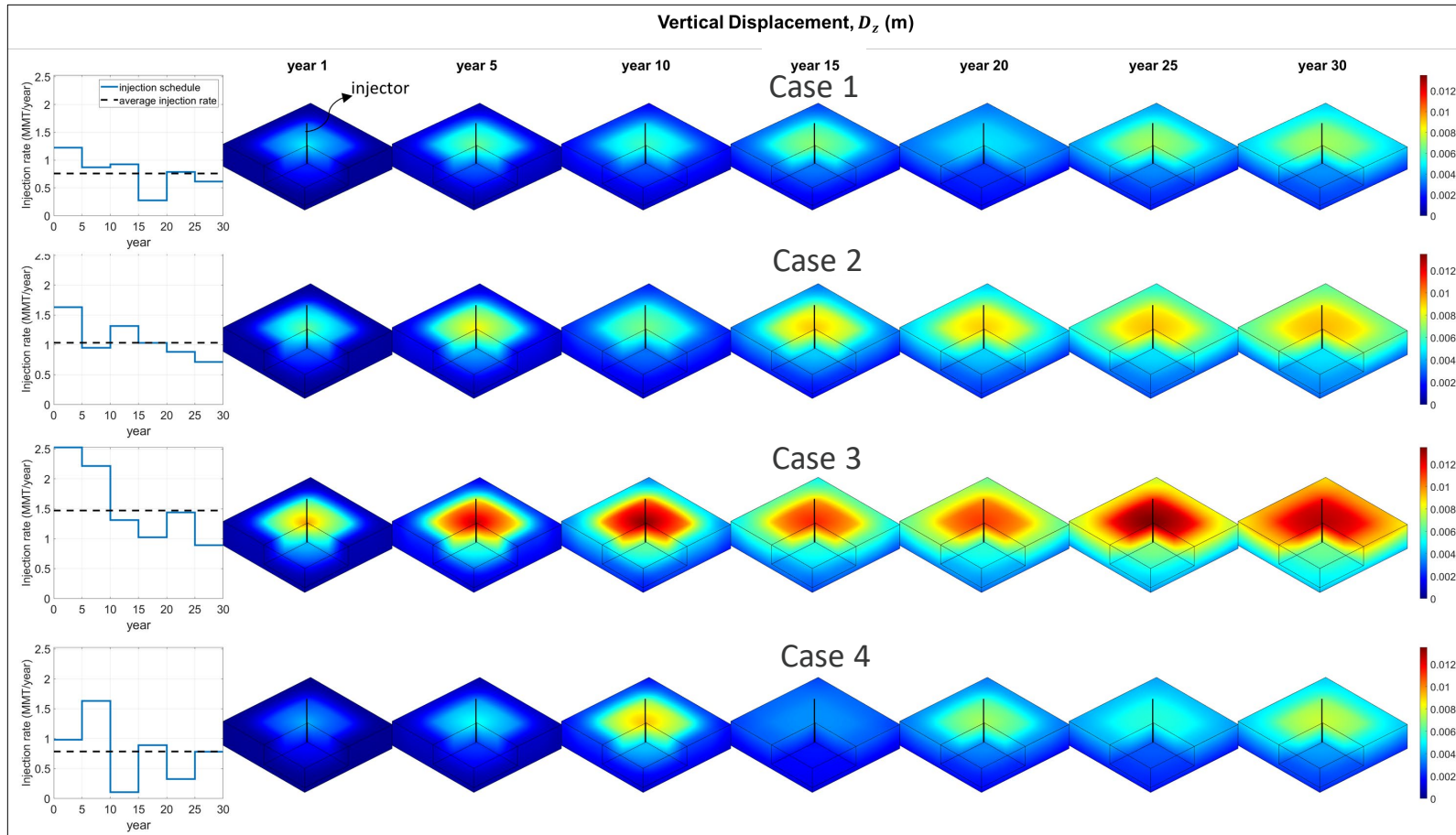
$$\text{subject to } \begin{cases} M_{CO_2_min} \leq M_{CO_2}(\mathbf{u}), \\ M_{CO_2}(\mathbf{u}) \leq M_{CO_2_max}. \end{cases}$$

- Optimization minimizes optimal vertical displacement from initial of 0.009 to 0.0075 m, achieving **16.7% mitigation**.
- **Increase** optimal CO₂ storage for **13.3%** for same level of displacement.

GA Optimization Results



Result – Base Case



- As total storage increase, maximum vertical displacement also increases. (Cases 1, 2, 3)
- The **maximum injection rate** for Pareto solutions occur at the **beginning** of the injection period where reservoir has more room for pressure buildup, resulting in **less** vertical displacement. (Case 1 vs Case 4)

Result – Low Permeability Case

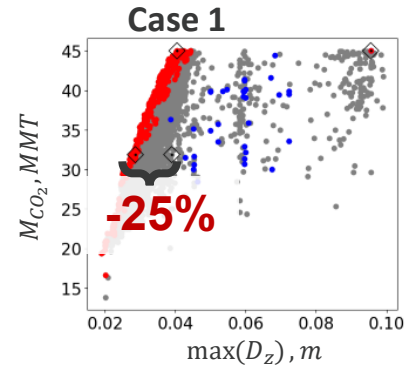
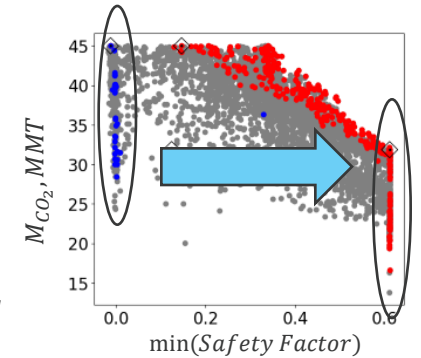
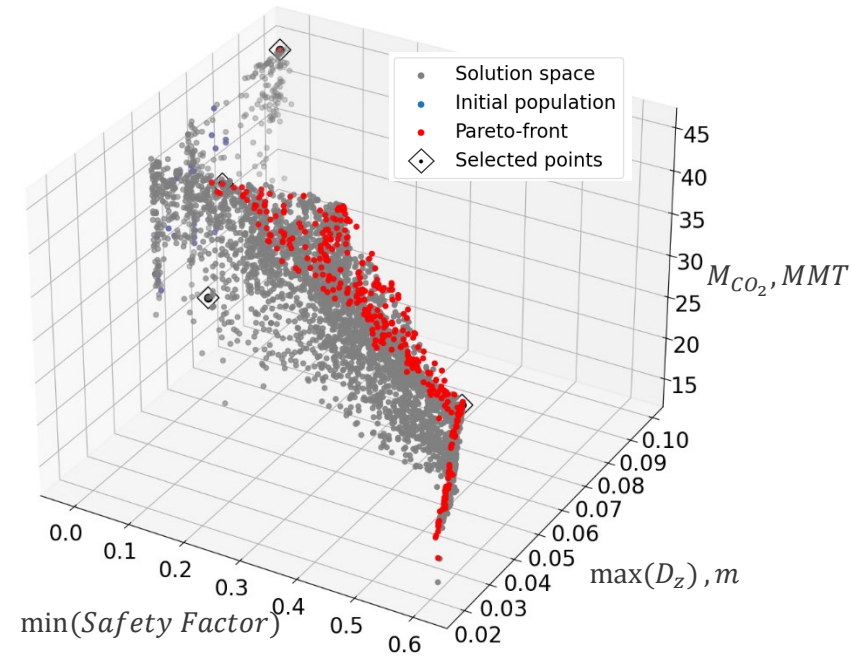
Optimization Formulation:

$$f(\mathbf{u}) \begin{cases} f_1 = \max(M_{CO_2}(\mathbf{u})), \\ f_2 = \min(\max(D_z)), \\ f_3 = \max(\min(\text{safety factor})). \end{cases}$$

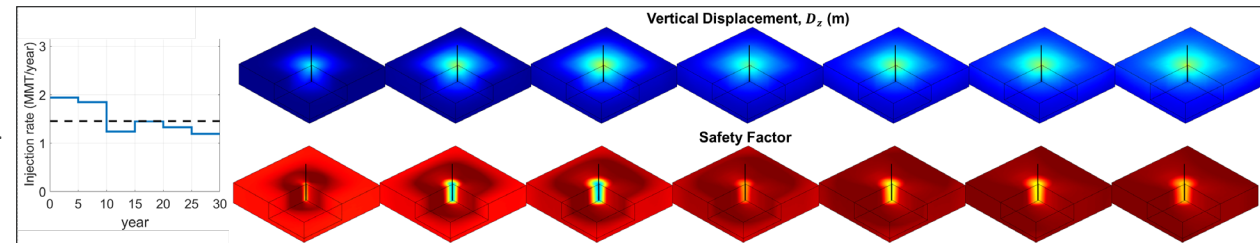
subject to $M_{CO_2_min} \leq M_{CO_2}(\mathbf{u}),$
 $M_{CO_2}(\mathbf{u}) \leq M_{CO_2_max}.$

- The optimization algorithm successfully **improves** the initial population's minimum safety factor from **0** (indicating rock fracturing) to a Pareto population maximum value of **0.61** (indicating safe injection).
- The optimal maximum vertical displacement also **decreased** from approximately **0.04 m** to about **0.03 m**, achieving **25% mitigation**.
- An **early maximum injection** allowed for **better pressure dissipation**, leading to **safer storage** (consistent with previous observation).

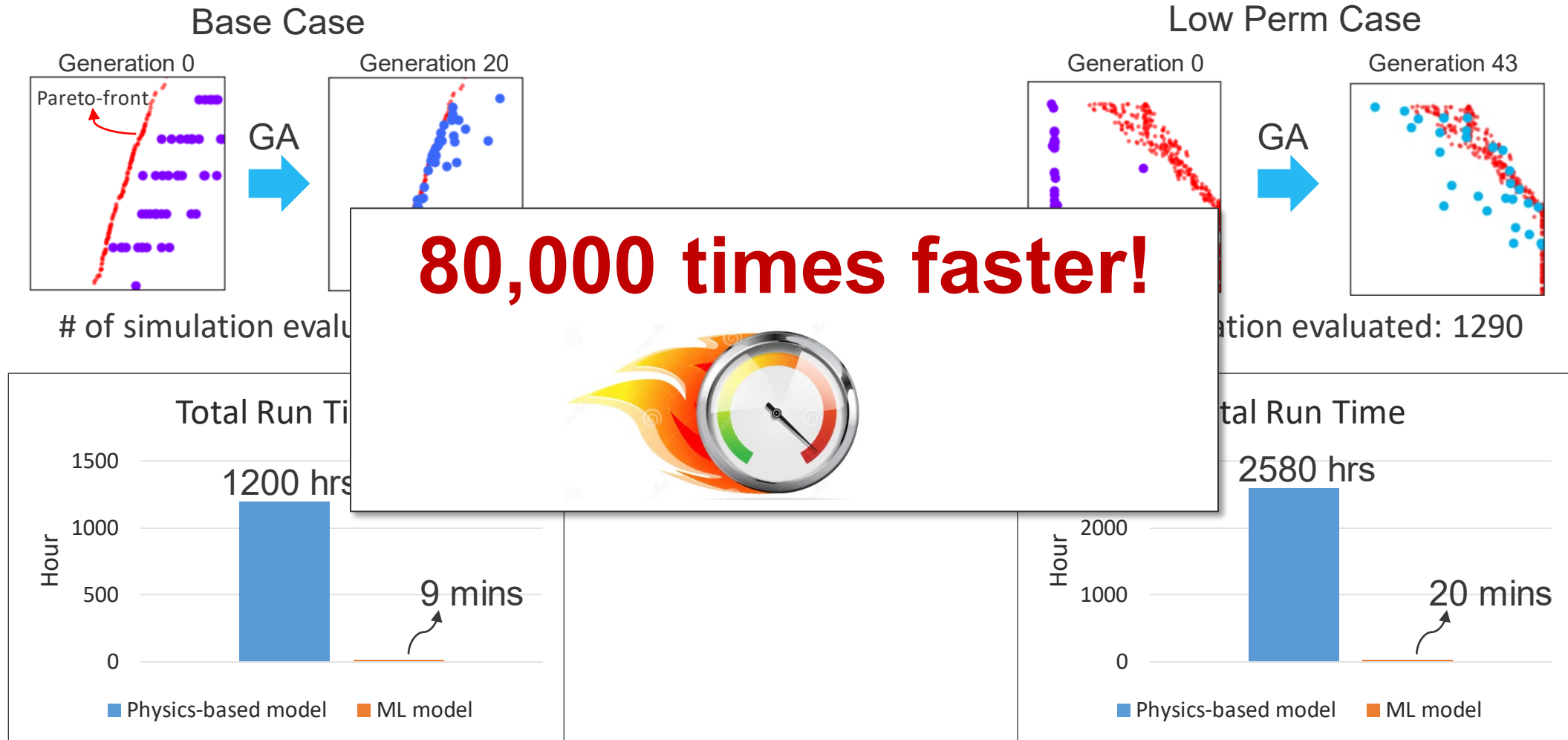
GA Optimization Results



Case 1

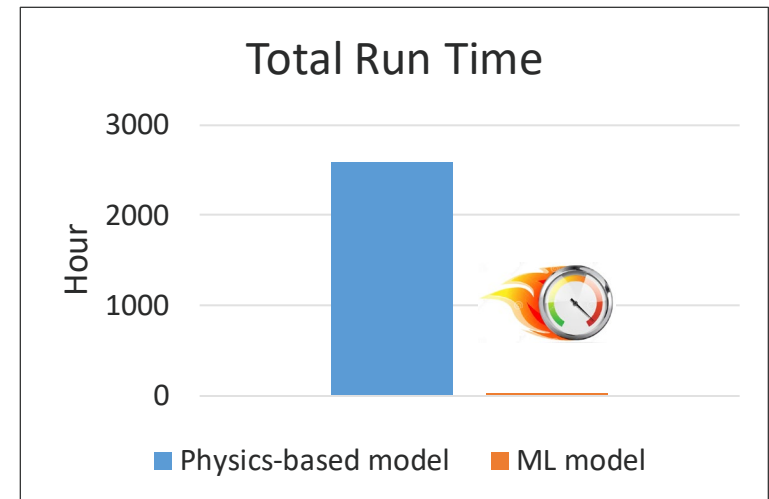
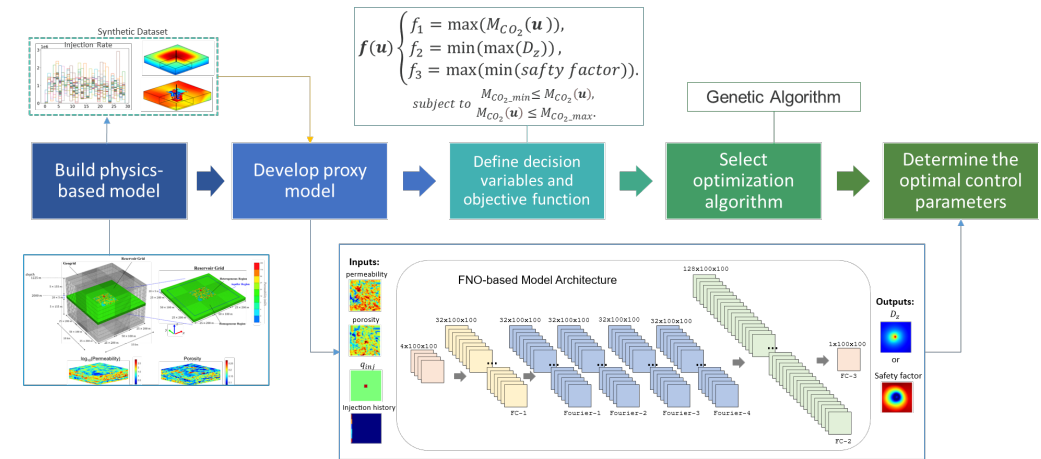


Result – Computational Cost



Summary

- ❖ Challenging problem – CO₂ Storage under Geomechanics:
 - Non-linear and Multiphysics Processes
 - Complex Rock's Failure/Fracturing Mechanisms
 - Non-convex, Global Optimization Formulation
 - High Computational Cost
- ❖ Demonstrated the effectiveness of using FNO-based ML-surrogate models and the NSGA-II Genetic Algorithm for optimizing CO₂ injection strategies under geomechanical risks.
- ❖ The Pareto-front indicates optimal **trade-offs** between CO₂ storage, safety (micro-seismicity), and vertical displacement.
- ❖ Achieved **80,000-fold computational cost saving**.





Thank you!



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