Implementing General Framework in MFiX for Radiative Heat Transfer in Gas–Solid Reacting Flows DE-FE0030485

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Outline

- 1. Project Description and Objectives
- 2. Project Update
- 3. Preparing Project for Next Steps
- 4. Concluding Remarks





NETL's MFiX — Multiphase Flow with Interphase eXchange

- Central to the laboratory's multiphase flow reactor modeling efforts
- Provides support to achieve DOE's goals
 - Cost of Energy and Carbon Dioxide (CO2) Capture from Advanced Power Systems
 - 2. Power Plant Efficiency Improvements
- Built with varying levels of fidelity/computational cost
 - Lower fidelity models for large scale reactor design
 - High fidelity models to support the development of lower fidelity models





Status of the beginning of the project



High-end validation study:

- Fine grid with 1.3M cells
- Two solid phases (coal and recycled ash)
- Detailed gasification chemical kinetic (17 gas species, 4 solid species)

What was missing the in the model?

No real radiative heat transfer modeling available in MFiX!

Driving Question/Motivation

Enhance MFiX capabilities by including models for radiative heat transfer following MFiX's multi-fidelity approach



Results from : "Fluidized Beds – recent applications", W. Rogers, 215 IWTU Fluidization Workshop

Technology benchmarking: comparing three popular CFD packages

Capability	MFiX	OpenFOAM (open source)	ANSYS-FLUENT (commercial)
TFM reacting	yes	yes	yes
DEM reacting	yes	no	no
Radiative Heat transfer	no	Gray, P1, DOM	Gray, simple WSGG, P1, DOM





MFIX-RAD development plan



We have received a 1 year, no cost extension





Modeling approach

Energy equations for MFiX-TFM

$$Gas \qquad \epsilon_{g}\rho_{g}c_{pg}(\frac{\partial T_{g}}{\partial t} + u_{g} \cdot \Delta T_{g}) = \nabla q_{g} + \sum_{m=1}^{M} H_{gsm} - \Delta H_{rg} + H_{wall}(T_{wall} - T_{g}) - \nabla \cdot \vec{q}_{rg}$$

Solids
$$\epsilon_{s_{m}}\rho_{s_{m}}c_{ps_{m}}(\frac{\partial T_{s_{m}}}{\partial t} + u_{s_{m}} \cdot \Delta T_{s_{m}}) = \nabla q_{s_{m}} + \sum_{m=1}^{M} H_{gsm} - \Delta H_{rs_{m}} - \nabla \cdot \vec{q}_{rs_{m}}$$

Single particle Energy equation for MFiX-DEM

$$m_{i}c_{p,i}\frac{dT_{i}}{dt} = \sum_{n=1}^{N_{i}} q_{i,j} + q_{i,f} + q_{i,rad} + q_{i,wall}$$

Source/Sink Terms are obtained from the thermal radiation model!





$$\frac{dI_{\eta}}{ds} = \vec{s} \cdot \nabla I_{\eta} = a_{\eta} I_{b\eta}$$

$$-a_{\eta}I_{\eta}$$

$$-\sigma_{s\eta}I_{\eta} + \frac{\sigma_{s\eta}}{4\pi} \int I_{\eta}(\vec{s}')\Phi_{\eta}(\vec{s},\vec{s}')ds$$

Source term in the energy equation:

$$S_{rad} = \nabla \cdot \vec{q}_{rad} = \int_{0}^{\infty} a_{\eta} \left(4\pi I_{b\eta} - \int_{4\pi} I_{\eta} d\Omega \right) dr$$

The RTE is an integro-differental equation for the spectral intensity $I_{\eta}(x, y, z, \phi, \psi, \eta)$ (a function of 6 variables!)

 G_{η} spectral incident radiation

Solution approach:

- 3 spatial dimensions $\vec{r}(x, y, z)$:CFD discretization
- 2 directional dimensions $\vec{s}(\phi, \psi)$: RTE solvers
- 1 spectral dimension (η) : spectral models





Gray P1 model assumptions

$\frac{dI_{\eta}}{ds} = \vec{s} \cdot \nabla I_{\eta} = a_{\eta}I_{b\eta} - a_{\eta}I_{\eta} - \sigma_{s\eta}I_{\eta} + \frac{\sigma_{s\eta}}{4\pi} \int I_{\eta}(\vec{s}')\Phi_{\eta}(\vec{s},\vec{s}')d\Omega$

1) Gray participating medium (gas and solids) -> no dependence on wavenumber η

2) Use a "Fourier series" ansatz $I(\vec{r}, \vec{s}) = \sum_{l=0}^{\infty} \sum_{-l}^{l} I_l(\vec{r}) \cdot Y_l(\vec{s})$ — Spherical harmonics Spatially varying coefficients

3) Keeping only the first term l = 0 leads to the P1 approximation

4) Solve a "combined" (including all phases) P1 equation for G (Helmholtz type)

$$\nabla \cdot (\Gamma \nabla G) + 4 \pi \left(a_g \frac{\sigma T^4}{\pi} + E_s \right) - (a_g + a_s)G = 0$$

$$Gas \text{ phase emission}$$

$$\Gamma = \frac{1}{3(a_g + a_s + \sigma_s) - C\sigma_s}$$

$$Gas \text{ phase emission}$$

$$Gas \text{ phase emission}$$

$$Solid \text{ phases emission}$$

$$WIVERSITY \text{ or }WYOMING$$

"Distributing the source terms"

$$\nabla \cdot (\Gamma \nabla G) + 4 \pi \left(a_g \frac{\sigma T^4}{\pi} + E_s \right) - \left(a_g + a_s \right) G = 0$$

Continuous phase

$$-\nabla \cdot q_{rg} = a_g G - 4a_g \sigma T_g^4$$

Gray models for a_a

• "gray constant"
$$a_g = const$$
 (user input)

 "gray" => Planck mean absorption using CO₂ and H₂O

Dispersed phase m (M total) $a_s = \sum_{m=1}^{M} a_{s,m}$ $E_s = \sum_{m=1}^{M} E_{s,m} = \sum_{m=1}^{M} a_{s,m} \frac{\sigma T_{s,m}^4}{\pi}$

$$-\nabla \cdot q_{rs} = \sum_{m=1}^{M} a_{s,m} G - 4\pi \sum_{m=1}^{M} a_{s,m} \frac{\sigma T_{s,m}^4}{\pi} = \sum_{m=1}^{M} (a_{s,m} G - 4a_{s,m} \sigma T_{s,m}^4) = \sum_{m=1}^{M} -\nabla \cdot q_{rs,m}$$

$$-\nabla \cdot q_{rs,m} = a_{s,m}(G - 4\sigma T_{s,m}^4)$$

Gray models for $a_{s,m}$

- "gray constant" based on constant emissivity and diameter of particles
- "gray" based on Buckius-Hwang correlation (depends on refractive index, mean particle size, void fraction and temperature)

500

0.00

0.03

0.06

Basic Verification of the P1 implementation



0.09

Length (m)

0.12

-400

0.00

0.03

0.06

0.09

Length (m)

0.15



FLUENT

MFiX

0.12

0.15

Incident radiation $G[W/m^2]$ fields

___0.15 m__

=0.131

 $T_{g} = 600$ $T_{s} = 600$

ε, =0.131

T_g = 800 T_s = 600

ε, =0.131

 $T_{\sigma} = 700$

 $T_{c} = 600$

ε, =0.131

 $T_{a} = 600$

T_s = 600

1000 K

Ш

0.15m

► 0.25m 300 K

-0.25 m

0.25 m -

Verification of the P1 - DEM implementation

- 2D, Radiation only (frozen "fields"), 30x90 cells
- Compare TFM and DEM results => should be identical
- Gas phase $a_g = 0.3 cm^{-1}$

y = 0.61m

Source term – gas

- one particle per cell ($d_p = 1mm$, $em_s = 0.6 =>a_s = 0.6cm^{-1}$

y = 0.11m

$$y = 0.61m$$



Relevance of thermal radiation in Lab-Scale reactors (54kWth)

- Two Fluid Model
 - 2 solid phases (cold and hot char)
 - 5 gas phases $(N_2, O_2, CO, CO_2, soot)$
 - Neglect convective heat transfer
- Geometry
 - 2D Cylindrical
 - 20 x 60 cells

MFIX-RAD settings in mfix.dat

Radiation Model RAD_ON = .T. RAD_EMIS_W = 1.0 1.0 1.0 1.0 RAD_T_W = 300 300 800 800 RAD_NQUAD = 1 RAD_SKIP = 0 RAD_NRR = 10 RAD_RTE = 'P1' RAD_SPECTRAL = 'GRAY'

Gas & solid phase reactions

Compare results with and

without radiative heat transfer!

2*CO --> Soot + CO2 2*CO --> Soot + CO2 CO + 0.5*O2 --> CO2 2*FC1 + O2 --> 2*CO FC1 + CO2 --> 2*CO 2*FC2 + O2 --> 2*CO FC2 + CO2 --> 2*CO FC2 --> FC1 Ash2 --> Ash1





Mass weighted average temperatures at the outlet

Relevance of thermal radiation in a Large Scale reactor (5.4 MWth)

No rad

P1 gray

- Same case as before but thermal power scaled up by a factor of 100
 - Include convective heat transfer to walls using average heat transfer coefficient $h = 14 W/m^2 K$
- Mesh 40 x 120 cells

Mass weighted average temperature at the outlet





MFiX-DEM with radiation



Only heat transfer (no chemical reactions)

- 2D Cartesian
- Length = 0.15 m, Height = 0.90m, 15 x 45 cells
- Particle diameters 4mm, 2mm
- Particle emissivity $\epsilon_p = 0.6$
- Constant gas phase absorption coefficient $a_g = 3.0m^{-1}$



Gas Temperature Solid particles location -4.0e-03- 800 1600 -4.0e-03- 700 - 1400 - 0.0035 - 600 - 1200 0.0035 - 500 - 1000 0.003 - 400 - 800 - 0.003 - 300 - 600 - 0.0025 - 200 - 0.0025 400 - 100 - 200 2.0e-03 2.0e-03

No rad

p1

No rad

p1

3. Preparing Project for Next Steps

• Market Benefits/Assessment

- MFiX is widely used the CFD tool for modeling/optimization of reacting multiphase flow
- MFiX currently has no radiative heat transfer modeling capability
- For a simple spouted bed combustor, neglecting radiative heat transfer results in temperature differences of $100^{o}C$

Technology-to-Market Path

- Basic MFiX-RAD Plug-In is available at GitLab => every MFiX user can download and use it their process modeling!
- A more accurate spectral model based on WSGG is currently implemented and will be available by the end of May 2019
- Detailed experimental data for validation is rare in Fluidized Bed Combustors/Gasifiers at larger scale
 - We will use a LBL Photon Monte Carlo method (model error free) to validate the lower fidelity gray and WSGG models to provide uncertainty values
- We are seeking industry collaborators who want to use MFiX-RAD in their applications

4. Concluding Remarks

- Basic radiation model (Gray, P1) has been implemented and verified for MFiX-TFM and MFiX-DEM
- First results in low-temperature spouted bed confirm that radiative heat transfer is important

Next Steps

- Extend basic radiation model to be usable in the new and improved MFIX-PIC (v19.1)
- Finish implementation and verification of industrial model (WSGG, P1)
- Implement Photon Monte Carlo solver for detailed validation of lower fidelity models
 - David Tobin (MS student) has started this task and it will be his thesis topic



4. Concluding Remarks

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- We have received the detailed (1.4 M cells) MFiX case set up for the 13MW Power Systems Development Facility (PSDF) gasifier => temperature and syngas composition data available at the outlet
 - We will use this case for validation of the models in a large-scale application
 - Expect improvements compared to simulations that neglected radiative heat transfer





